Temporal Planning

Task Planning

Classical Planning: Limits

Instantaneous actions

No temporal constraints

No concurrent actions

No continuous quantities

Spacecraft Domain

Observation-1
priority
time window
target
instruments
duration

Observation-2

Observation-3

Observation-4

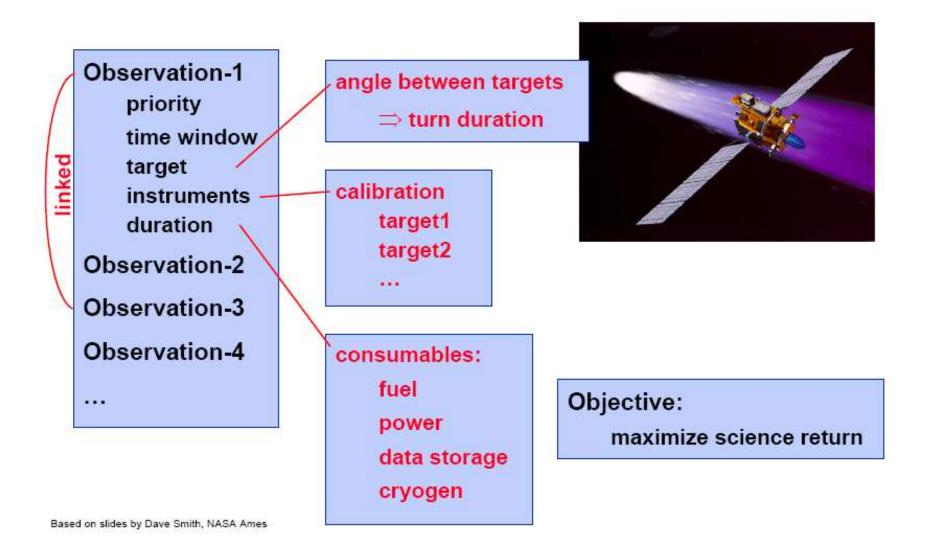
....



Objective:

maximize science return

Spacecraft Domain

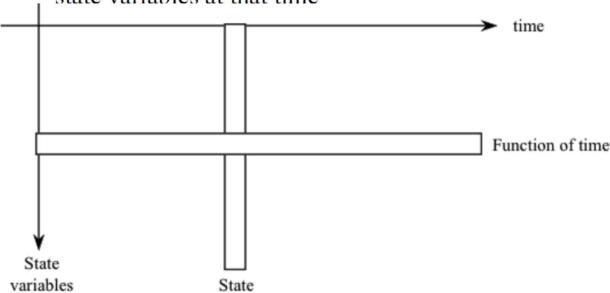


Extensions

- Time
- Resources
- Constraints
- Uncertainty
- Utility
- •

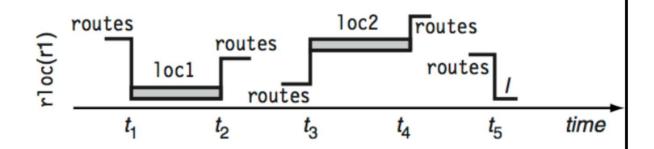
The Time-Oriented View

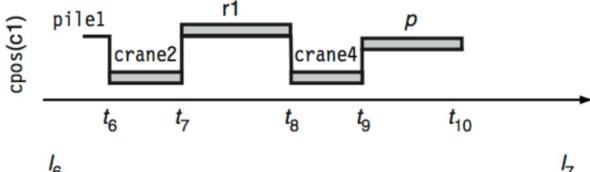
- We'll concentrate on the "time-oriented view": Sections 14.3.1–14.3.3
 - ◆ It produces a simpler representation
 - ◆ State variables seem better suited for the task
- States not defined explicitly
 - ◆ Instead, can compute a state for any time point, from the values of the state variables at that time

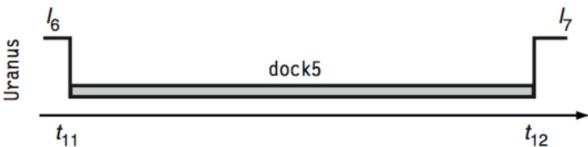


DWR Example

- robot r1
 - in loc1 at time t_1
 - ◆ leaves loc1 at time t₂
 - enters loc2 at time t₃
 - ◆ leaves loc2 at time t₄
 - enters l at time t_5
- container c1
 - in pile1 until time t_6
 - held by crane2 until t_7
 - sits on r1 until t_8
 - ♦ held by crane4 until t₉
 - sits on p until t_{10} (or later)
- ship Uranus
 - stays at dock5
 from t₁₁ to t₁₂

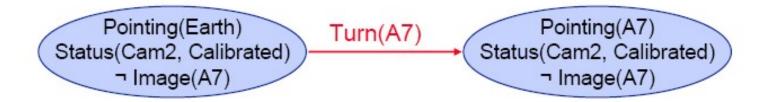




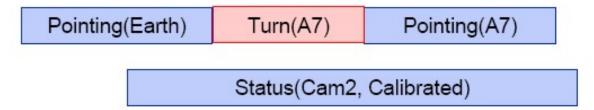


Model

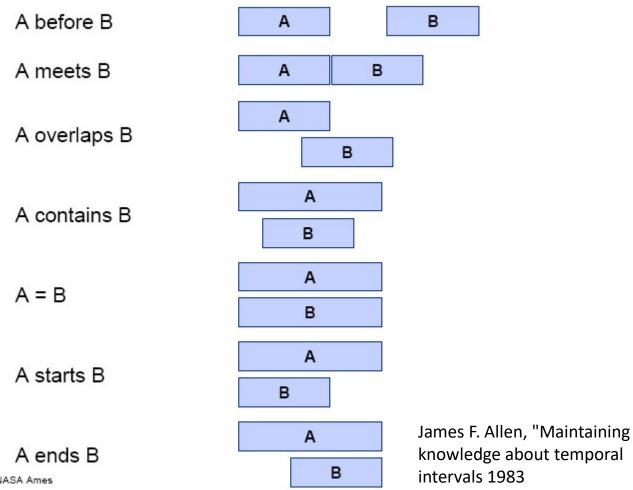
State-centric (Mc Carthy): for each time describe propositions that are true



History-based (Hayes): for each proposition describe times it is true



Temporal Interval Relations



Based on slides by Dave Smith, NASA Ames

```
TakeImage (?target, ?instr):
```

Pre: Status(?instr, Calibrated), Pointing(?target)

Eff: Image(?target)



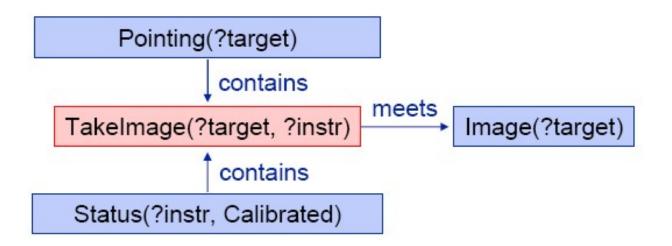
```
TakeImage (?target, ?instr)
```

contained-by Status(?instr, Calibrated)

contained-by Pointing(?target)

meets Image(?target)

```
TakeImage (?target, ?instr)
contained-by Status(?instr, Calibrated)
contained-by Pointing(?target)
meets Image(?target)
```



```
TakeImage (?target, ?instr)
contained-by Status(?instr, Calibrated)
contained-by Pointing(?target)
meets Image(?target)
```



```
\begin{split} & \text{TakeImage}(?target,\,?instr)_{A} \\ & \Rightarrow \exists P \; \{Status(?instr,\,Calibrated)_{P} \; \wedge \; Contains(P,\,A) \} \\ & \wedge \; \exists Q \; \{Pointing(?target)_{Q} \; \wedge \; Contains(Q,\,A) \} \\ & \wedge \; \exists R \; \{Image(?target)_{R} \; \wedge \; Meets(A,\,R) \} \end{split}
```

```
Turn (?target)
met-by
meets
Pointing(?direction)
Pointing(?target)
```

```
Pointing(?direction) meets Turn(?target) meets Pointing(?target)
```

```
Calibrate (?instr)

met-by

contained-by

contained-by

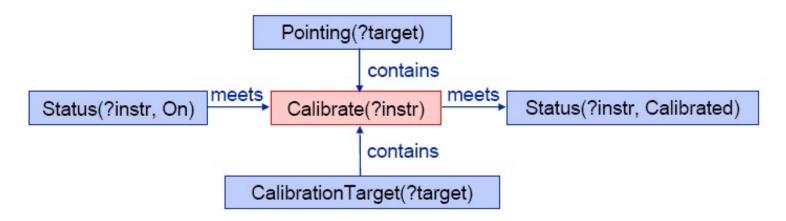
meets

Status(?instr, On)

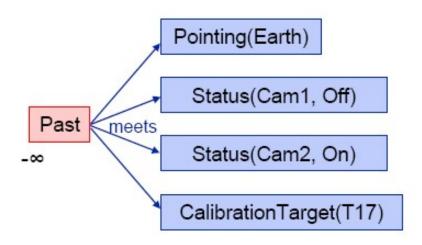
CalibrationTarget(?target)

Pointing(?target)

Status(?instr, Calibrated)
```

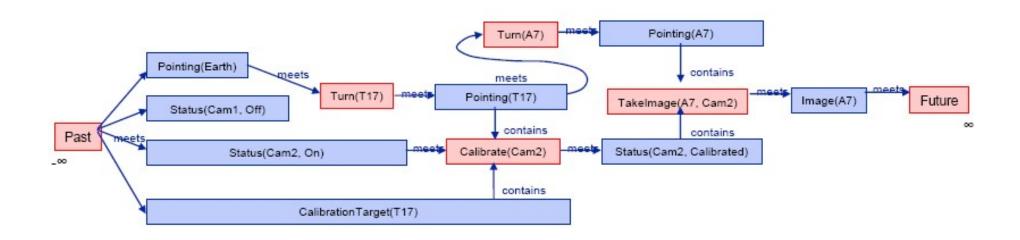


Temporal Planning Problem





Consistent Complete Plan



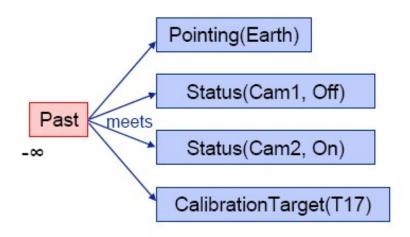
CBI-Planning

Choose:

introduce an action & instantiate constraints coalesce propositions

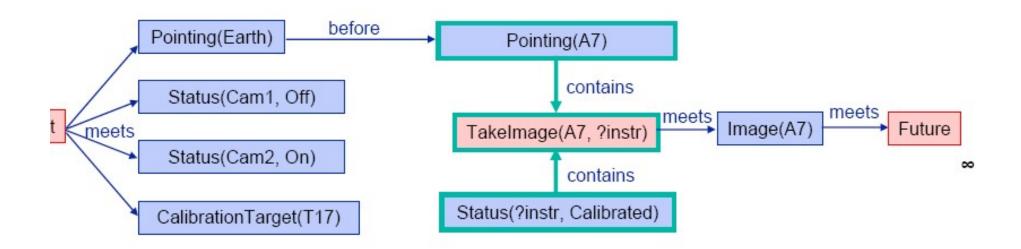
Propagate constraints

Initial Plan

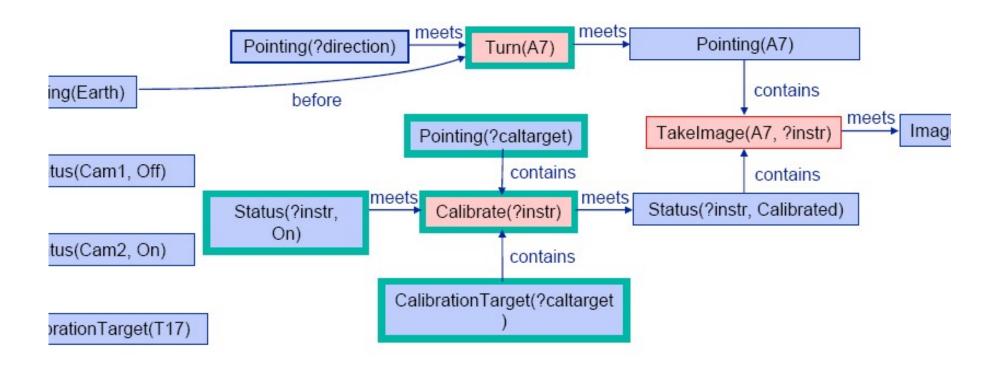




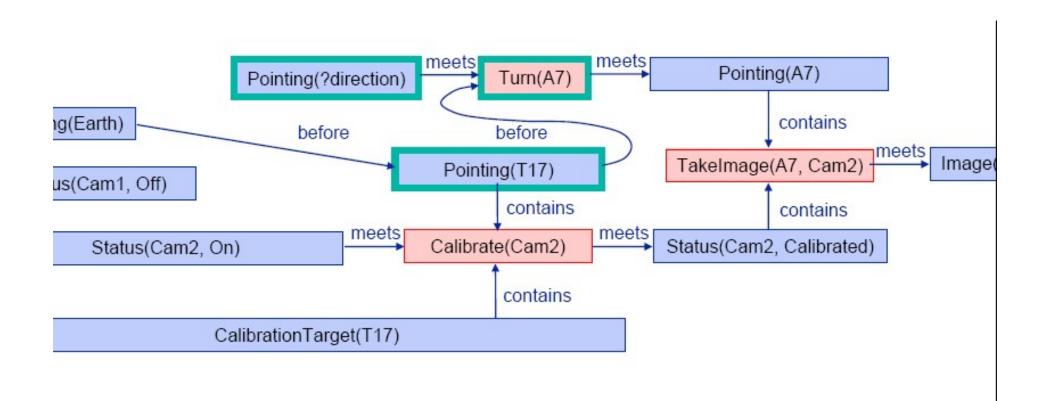
Expansion



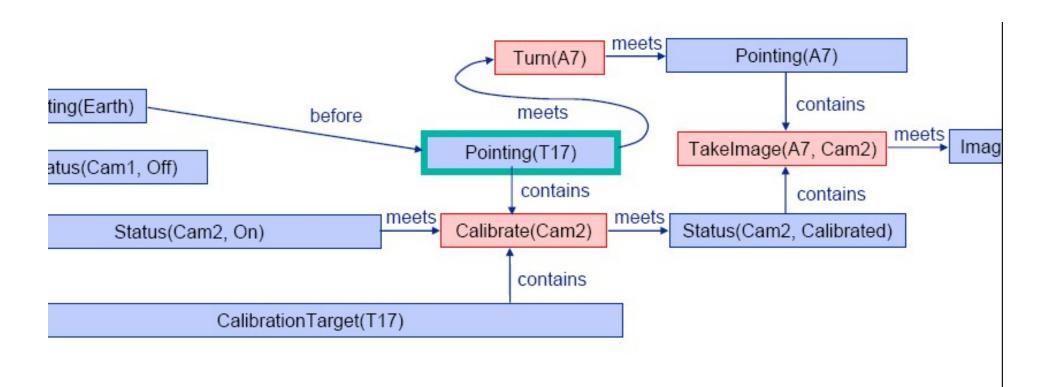
Expansion



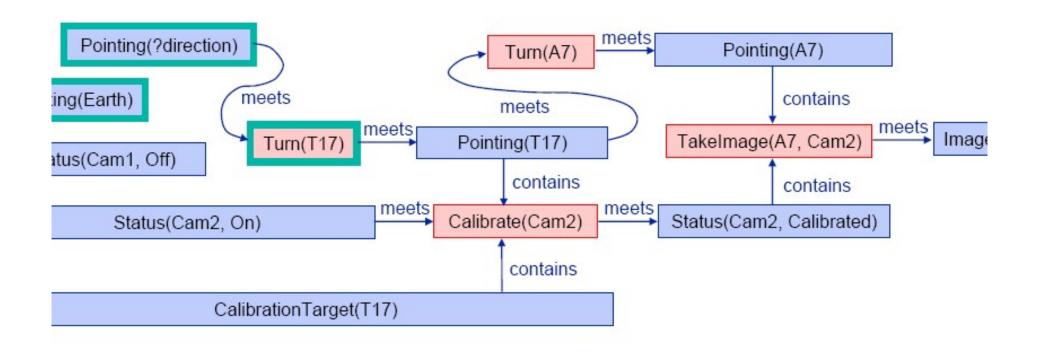
Coalescing



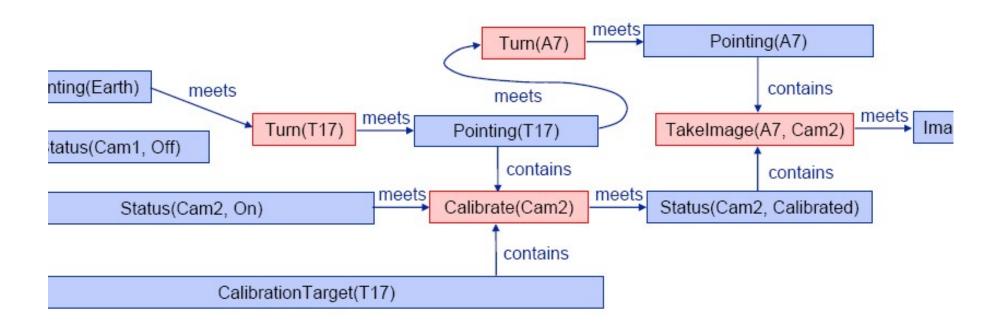
Coalescing



Expansion



Coalescing



CBI-Algorithm

Expand(TQAs, constraints)

- 1. If the constraints are inconsistent, fail
- 2. If all TQAs have causal explanations, return(TQAs, constraints)
- Select a g ∈ TQAs with no causal explanation
- 4. Choose:

Choose another $p \in TQAs$ such that g can be coalesced with p under constraints C Expand(TQAs-g, constraints $\cup C$)

Choose an action that would provide a causal explanation for g

Let A be a new TQA for the action, and let R be the set of new TQAs implied by the axioms for A

Let C be the constraints between A and R

Expand(TQAs \cup {A} \cup R, constraints \cup C)

CBI-Planners

Zeno (Penberthy) intervals, no CSP

Trains (Allen)

Descartes (Joslin) extreme least commitment

IxTeT (Ghallab) functional rep.

HSTS (Muscettola) functional rep., activities

EUROPA (Jonsson) functional rep., activities

CBI vs POP

- CBI is similar to POP because least commitment and partial order
- But, temporal constraints in CBI ...
- Contraints Temporal Network associated with a plan
- Constraint propagation

Temporal Assertions

- Temporal assertion:
 - Event: an expression of the form $x@t:(v_1,v_2)$
 - » At time t, x changes from v_1 to $v_2 \neq v_1$
 - Persistence condition: $x@[t_1,t_2): v$
 - » x = v throughout the interval $[t_1, t_2)$
 - where
 - » t, t_1 , t_2 are constants or temporal variables
 - » v, v_1, v_2 are constants or object variables
- Note that the time intervals are semi-open
 - ♦ Why?
 - ◆ To prevent potential confusion about x's value at the endpoints

Chronicles

- *Chronicle*: a pair $\Phi = (F, C)$
 - F is a finite set of temporal assertions
 - C is a finite set of constraints
 - » temporal constraints and object constraints
 - C must be consistent
 - » i.e., there must exist variable assignments that satisfy it
- *Timeline*: a chronicle for a single state variable

Chronicles as Planning Operators

- Chronicle planning operator: a pair o = (name(o), (F(o), C(o)), where
 - name(o) is an expression of the form $o(t_s, t_e, ..., v_1, v_2, ...)$
 - » o is an operator symbol
 - » $t_s, t_e, ..., v_1, v_2, ...$ are all the temporal and object variables in o
 - (F(o), C(o)) is a chronicle

Domains and Problems

- Temporal planning *domain*:
 - A pair $\boldsymbol{D} = (\Lambda_{\Phi}, O)$
 - \rightarrow O = {all chronicle planning operators in the domain}
 - » Λ_{Φ} = {all chronicles allowed in the domain}
- Temporal planning *problem* on **D**:
 - A triple $P = (D, \Phi_0, \Phi_g)$
 - » **D** is the domain
 - » Φ_0 and Φ_g are initial chronicle and goal chronicle
 - » O is the set of chronicle planning operators
- Statement of the problem **P**:
 - A triple $P = (O, \Phi_0, \Phi_g)$
 - » O is the set of chronicle planning operators
 - » Φ_0 and Φ_g are initial chronicle and goal chronicle
- Solution plan:
 - A set of actions $\pi = \{a_1, ..., a_n\}$ such that at least one chronicle in $\gamma(\Phi_0, \pi)$ entails Φ_g

Planning & Scheduling

