

$$W = X_0 + \frac{X_1^q}{1+r} + \frac{X_2^q}{(1+r)^2} + \dots + \frac{X_n^q}{(1+r)^n}$$

$$= X_{pe} + \frac{X_{pe}}{1+r} + \frac{X_{pe}}{(1+r)^2} + \dots + \frac{X_{pe}}{(1+r)^n}$$

$$= X_{pe} \left(1 + \frac{1}{1+r} + \frac{1}{(1+r)^2} + \dots + \frac{1}{(1+r)^n} \right)$$

$$W = X_{pe} a_{\overline{n}|r}$$

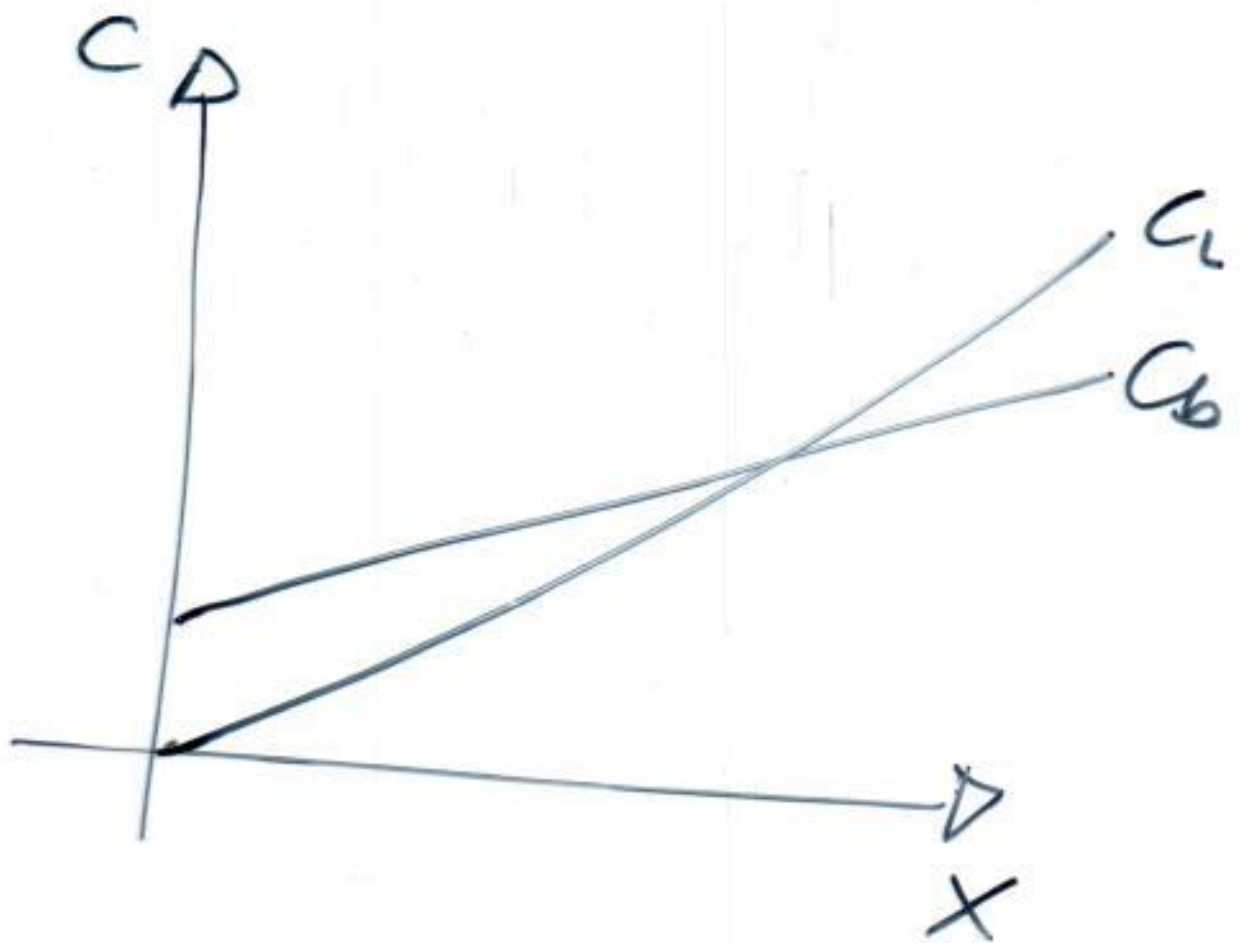
$$A_0 \geq \frac{Q_1^a - Z_1^a}{1+r} + \frac{Q_2^a - Z_2^a}{(1+r)^2} + \dots + \frac{Q_n^a - Z_n^a}{(1+r)^n}$$

$$A_0 \geq \sum_{t=1}^n P_t$$

$$\sum_{t=1}^n P_t = \frac{Q_1^a - Z_1^a}{1+e} + \frac{Q_2^a - Z_2^a}{(1+e)^2} + \dots + \frac{Q_n^a - Z_n^a}{(1+e)^n}$$

$$e \geq r$$

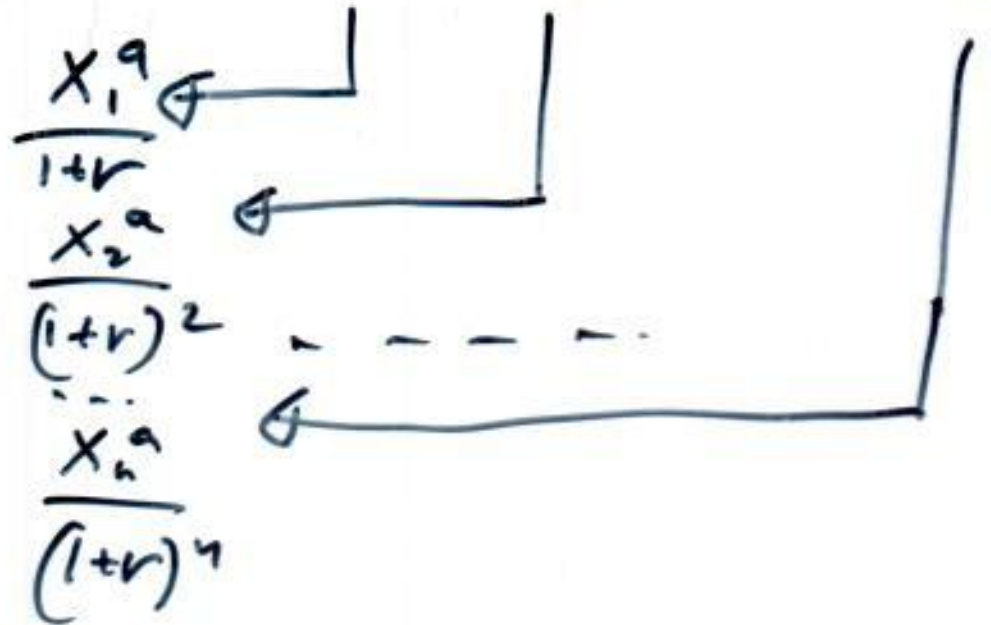
$$\sum_{t=1}^n P_t = \sum_{t=1}^n P_t^0$$



$$0 < c' < c < 1$$

$$0 < \underbrace{c'} = c < 1$$

$x_0 \quad x_1^a \quad x_2^a \quad \dots \quad x_n^a$



$$W = \sum$$

$$C = C(r, x, W)$$

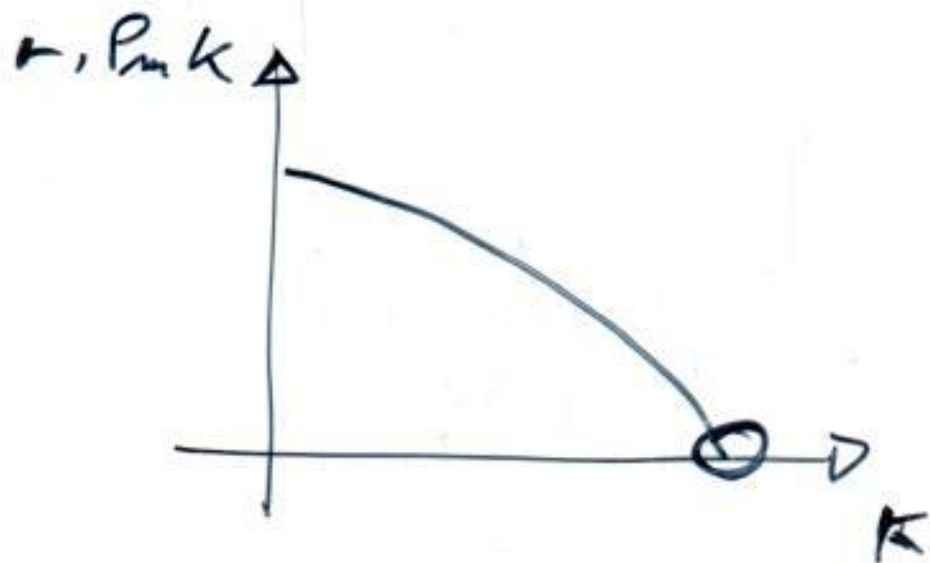
- neo classica

→ Post keynesiana

- Keynesiana ocelli sintesi

→ dom. eff. (Pk)

- acceleratore

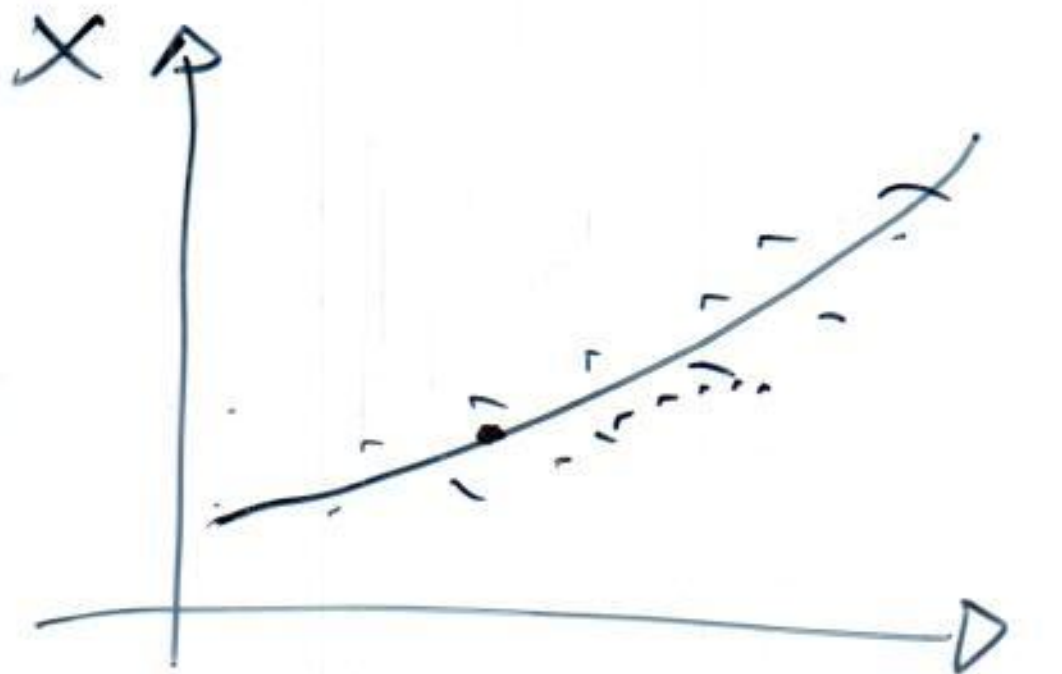


$$\kappa^D = \kappa(r)$$

$$\underline{I} = \Delta \kappa = \kappa^D - \kappa_0 = \kappa(r) - \kappa_0$$

$$\underline{I} = a_0$$

$$\underline{I} = a_0 - a_1 r$$



$$\hat{f} = a_0 + a_1 u + a_2 \pi$$

$$\hat{f} = a_0 - a_1 r$$

$$\hat{f} = a_0 - a_1 r$$

$$X \quad u = \frac{X}{X}$$

\hat{f}

- P_T certo

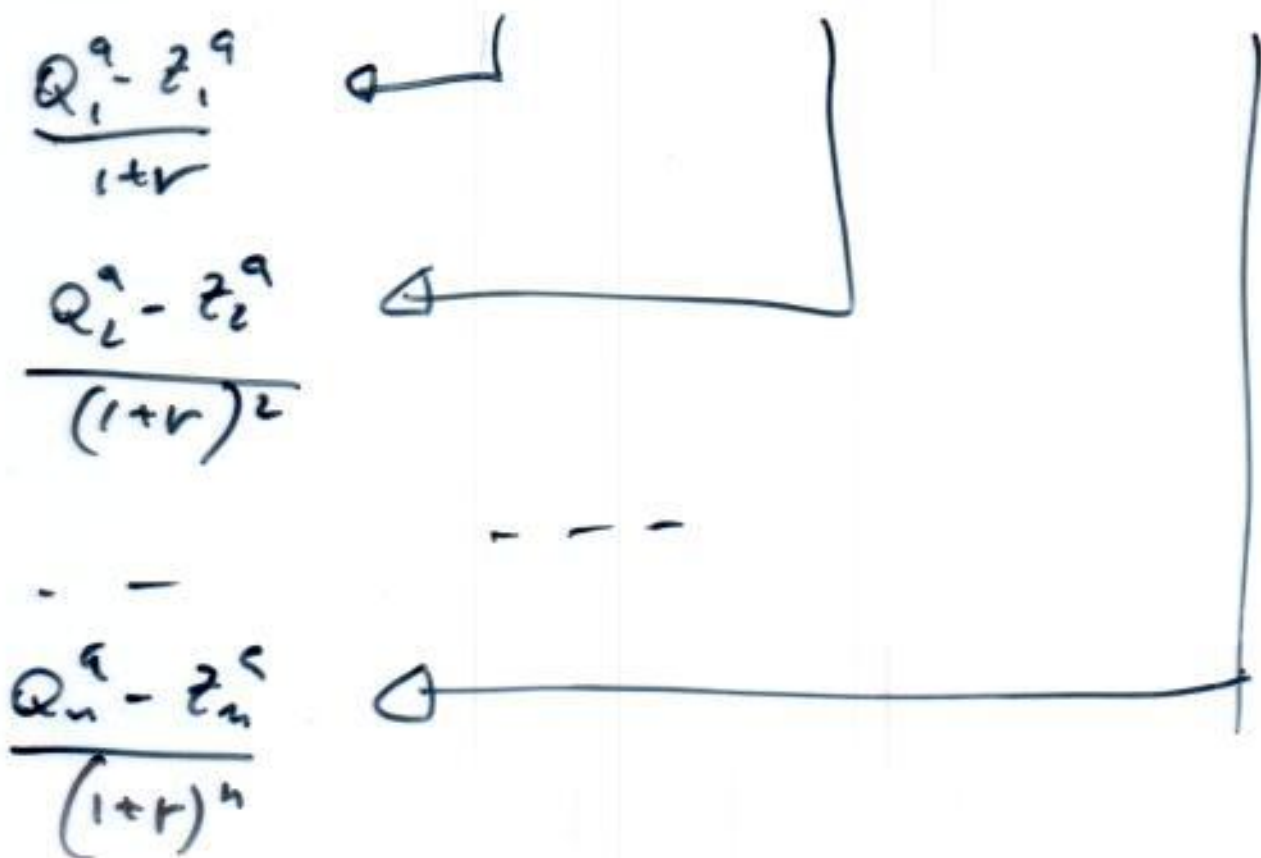
- r certo

- Q^a $Q_1^a; Q_2^a \dots Q_n^a$ incerto

- Z^a $Z_1^a; Z_2^a \dots Z_n^a$

$$Q^a - Z^a$$

$$(Q_1^a - Z_1^a) (Q_2^a - Z_2^a) \dots (Q_n^a - Z_n^a)$$



$$(1) \quad M_S = M_D$$

$$(2) \quad M_S = \bar{M}_S$$

$$(3) \quad M_D = \frac{1}{V} P \cdot T$$

$$(4) \quad v = \bar{v}$$

$$(5) \quad T = \bar{T}$$

$$\bar{M}_S = \frac{1}{\bar{v}} \cdot P \cdot \bar{T}$$

$$P = \bar{M}_S \cdot \frac{\bar{v}}{\bar{T}}$$

$$K = \frac{1}{V}$$

$$(1) \quad \pi_S = \pi_D$$

$$(2) \quad \pi_S = \bar{\pi}_S$$

$$(3) \quad \pi_D = k P \cdot X$$

$$(4) \quad \kappa = \bar{\kappa}$$

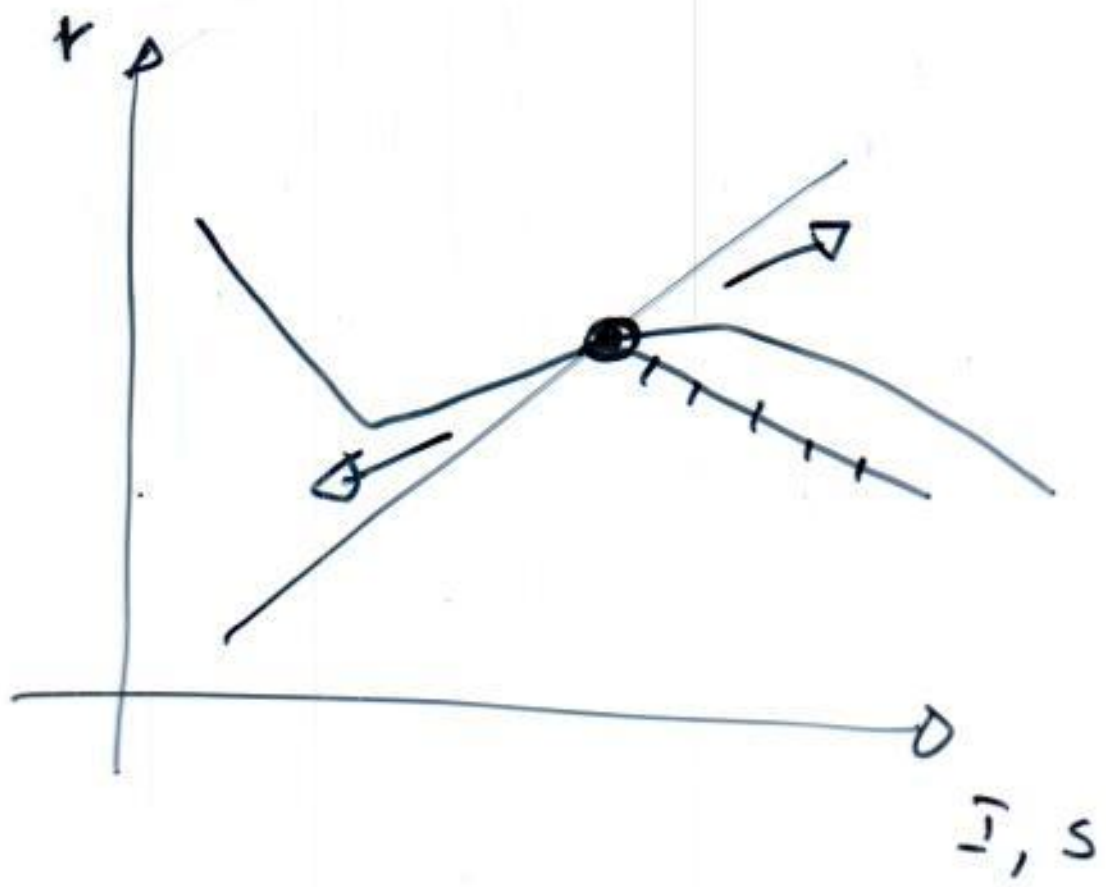
$$(5) \quad X = \bar{X}$$

$$P = \bar{\pi}_S \frac{1}{\bar{\kappa} \bar{T}}$$

Def: Prol. marg. di un fattore
è ΔX dovuta alla
variaz. dell'impiego
del fattore, fermo restando
l'impiego degli altri
fattori

$$P_{mL} = \frac{\Delta X}{\Delta L}$$

$$P_{mK} = \frac{\Delta X}{\Delta K}$$



$$S = S_w + S_c$$

$$\bar{I} = \bar{I}_w + \bar{I}_c$$

$$S_w = \bar{I}_w = g k_w$$

$$K = k_w + k_c$$

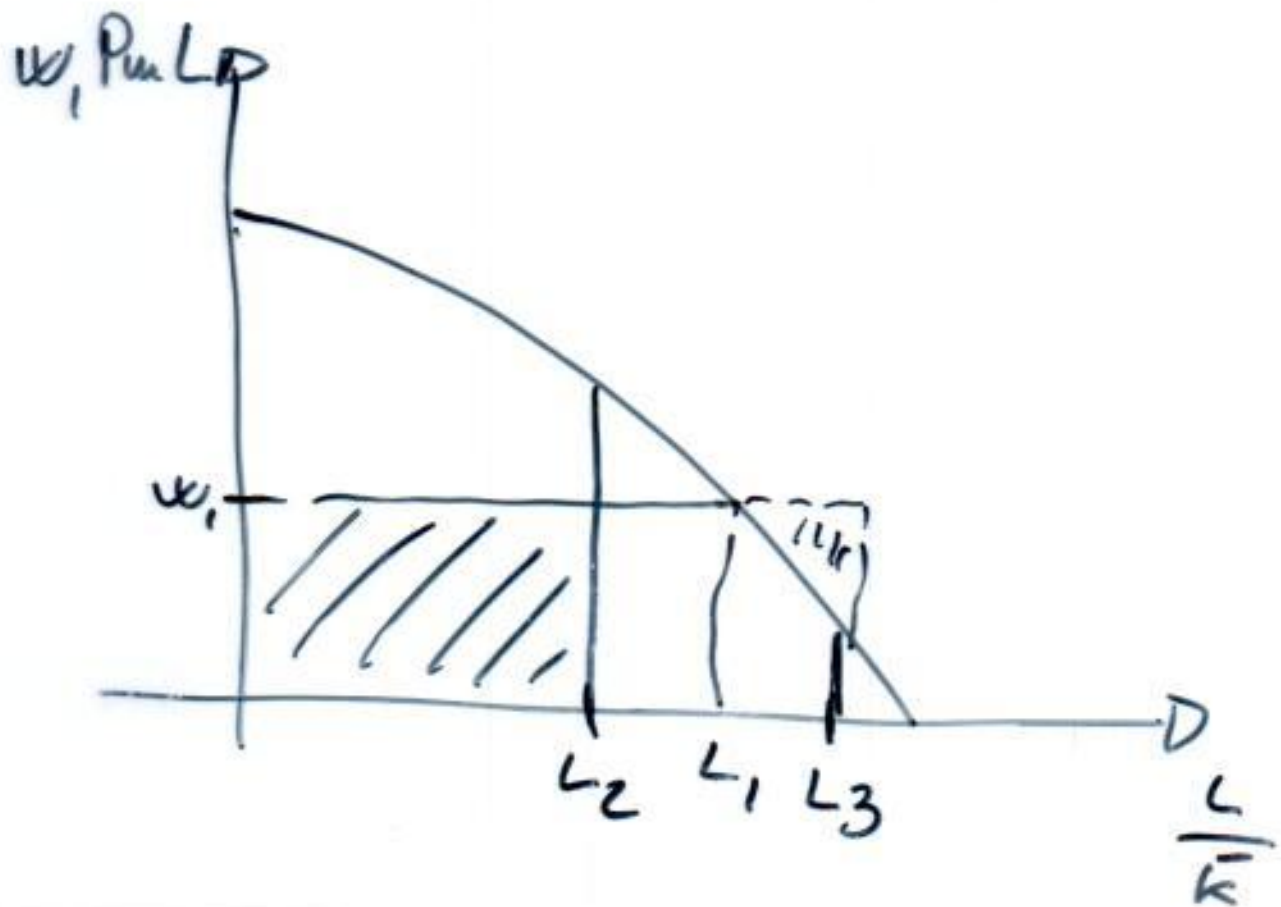
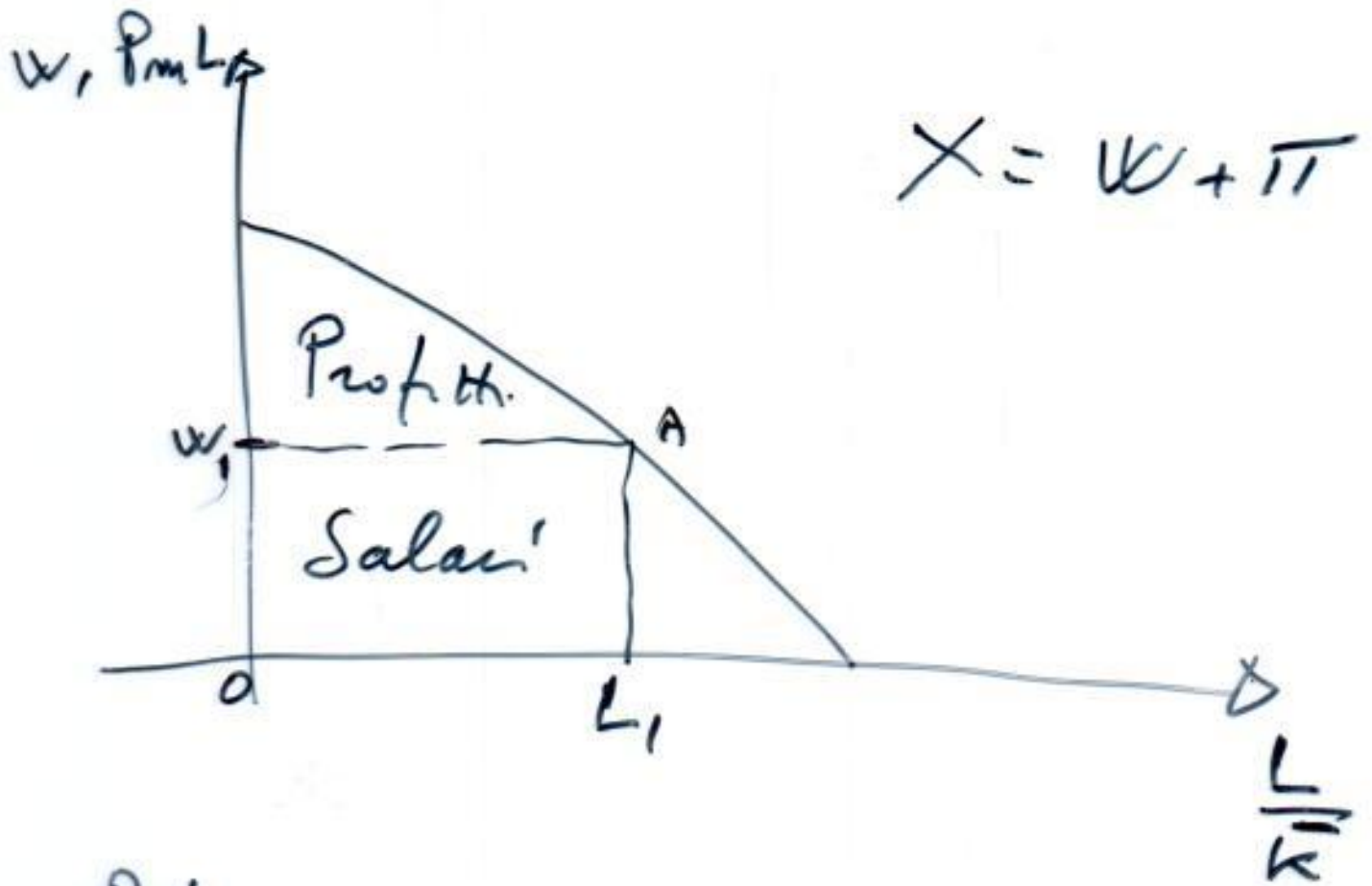
$$S_w = g k_w$$

$$S_c = g k_c = \underbrace{s_c r k_c}$$

$$\bar{\pi}_c = r k_c$$

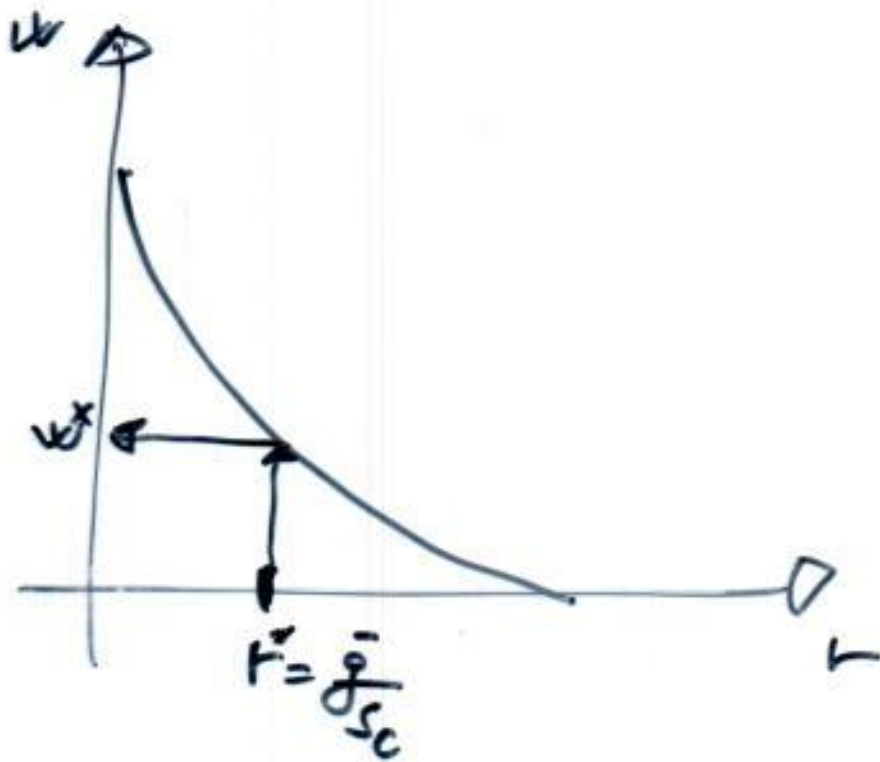
- teorie classiche (Smith, Ricardo)
- Marx
- teorie classiche "monetarie"
- "volgari" [1830 - 1860]
- teorie neoclassiche [1870 - ...]
- teorie Postkeynesiane
 - classiche ↗
↘
 - Kaleckiane
 - PK delle cusc. e dest. (Kaldor, Pasinetti)

Ass.: Il P Marg. dei fattori
 è decescente.



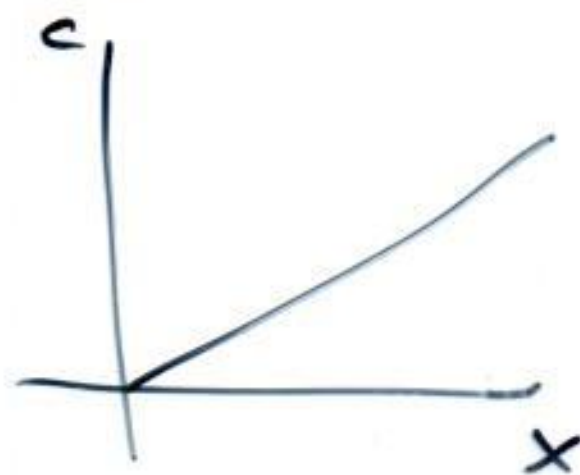
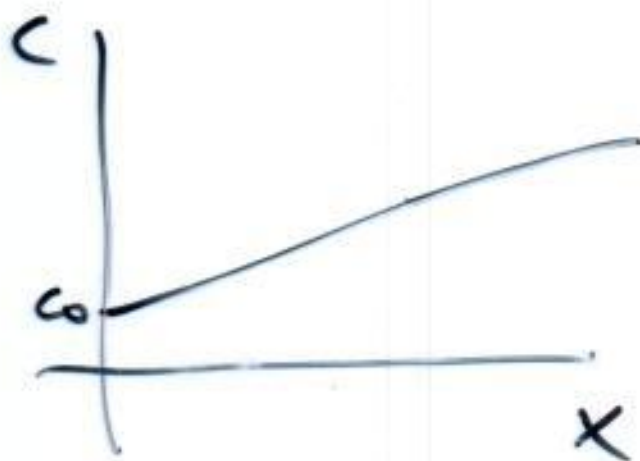
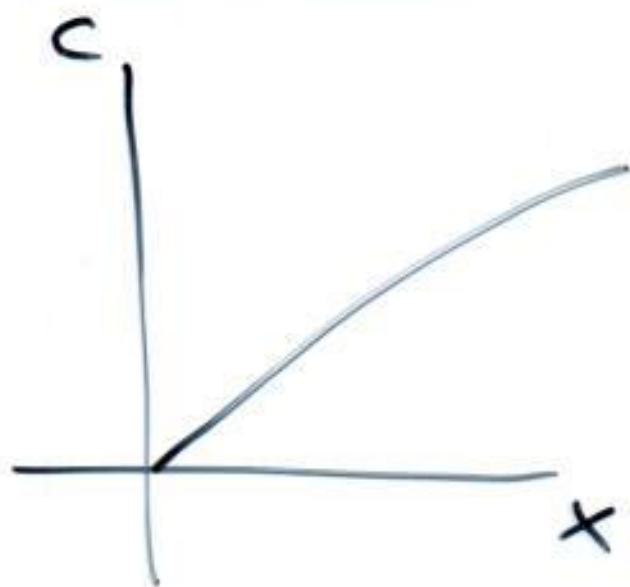
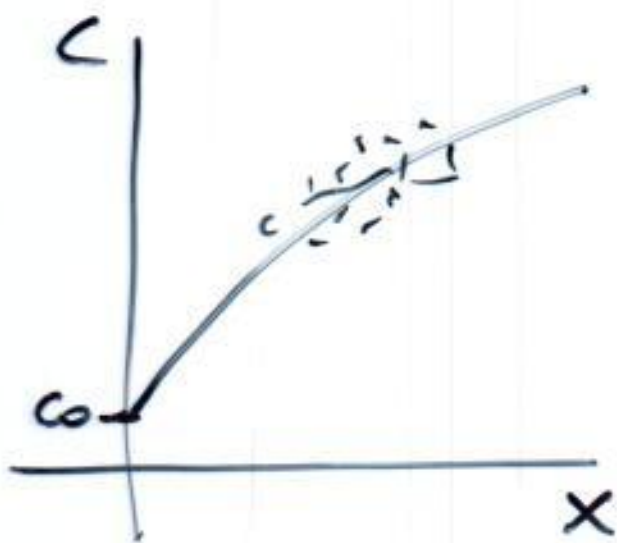
$$g = s_c r$$

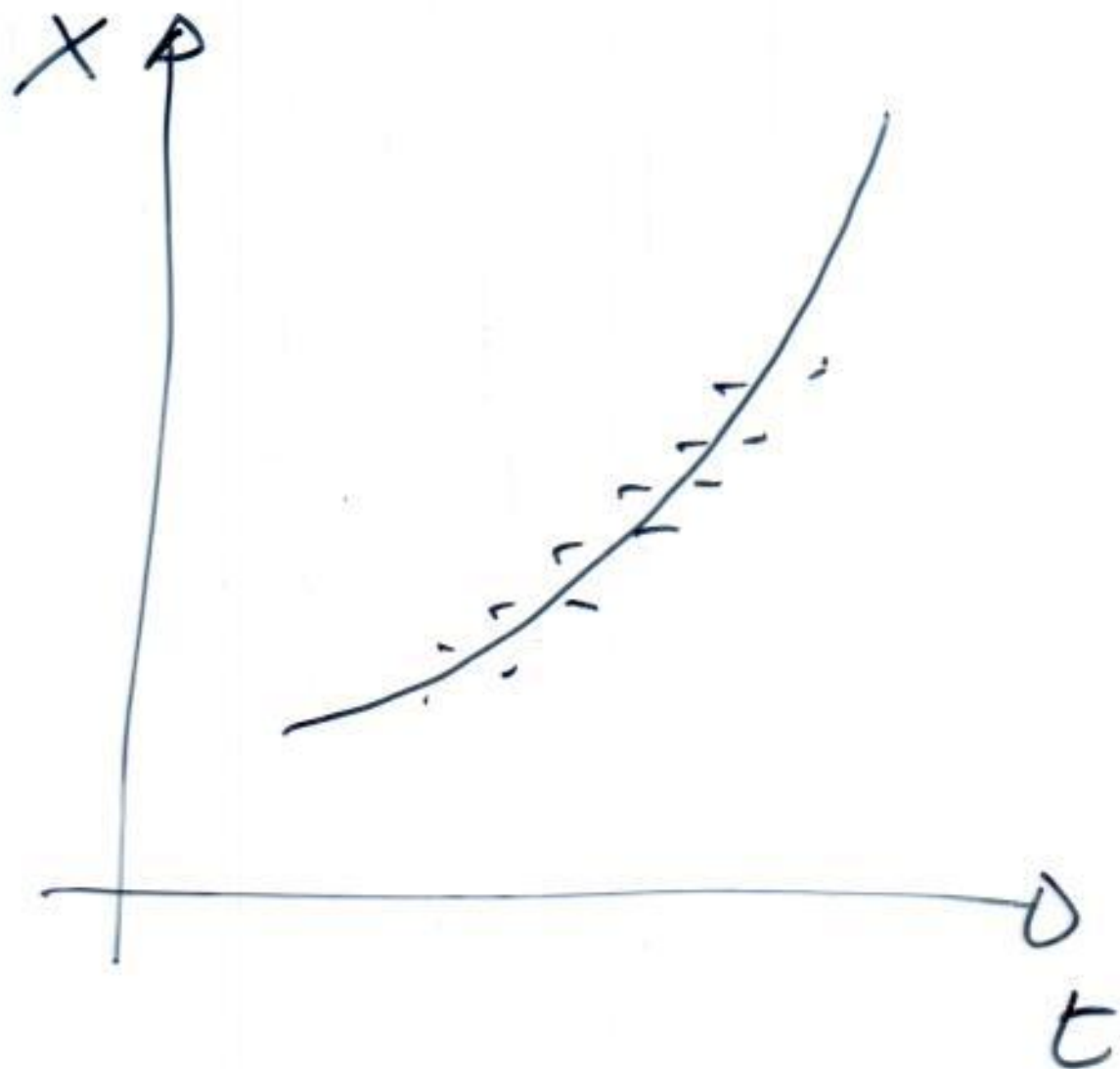
$$(4) \quad r = \frac{100}{s_c}$$



$$0 < c' < 1$$

$$0 < c' < c < 1$$





$$C = C(r, X, \omega)$$

$$C = C(r, X, X_{pe})$$

$$C(r, \dot{p}, P, X, \omega)$$

$$\Delta BM = \underbrace{\Delta BM_{FIN}} + \Delta BM_{TES} + \Delta BM_{EST}$$



regolazioni e zutewa

TARGET

- a iniziativa delle controparte
- a iniziativa delle B.C