

Corso di Laurea in Ingegneria Informatica



**Corso di Reti di Calcolatori
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Routing Distance Vector

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Algoritmo di routing Distance Vector



- Ogni router mantiene una tabella di tutti gli instradamenti a lui noti
 - inizialmente, solo le reti a cui è connesso direttamente
- Ogni entry della tabella indica:
 - una rete raggiungibile
 - il *next hop*
 - il numero di hop necessari per raggiungere la destinazione
- Periodicamente, ogni router invia a tutti i vicini (due router sono vicini se sono collegati alla stessa rete fisica):
 - un messaggio di aggiornamento contenente tutte le informazioni della propria tabella (**vettore delle distanze – distance vector**)
- I router che ricevono tale messaggio aggiornano la tabella nel seguente modo:
 - eventuale modifica di informazioni relative a cammini già noti
 - eventuale aggiunta di nuovi cammini
 - eventuale eliminazione di cammini non più disponibili

Distance Vector: un esempio



Destin.	Dist.	Route
net 1	0	direct
net 2	0	direct
net 4	8	router L
net 17	5	router M
net 24	6	router A
net 30	2	router Q
net 42	2	router A

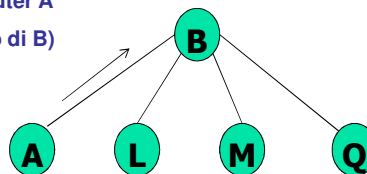
Tabella del router B

Destin.	Dist.
net 1	2
net 4	3
net 17	6
net 21	4
net 24	5
net 30	10
net 42	3

Messaggio di aggiornamento del router A (vicino di B)

Destin.	Dist.	Route
net 1	0	direct
net 2	0	direct
net 4	4	router A
net 17	5	router M
net 24	6	router A
net 30	2	router Q
net 42	4	router A
net 21	5	router A

Tabella aggiornata del router B



Bellman-Ford Equation



Bellman-Ford Equation (dynamic programming)

Define

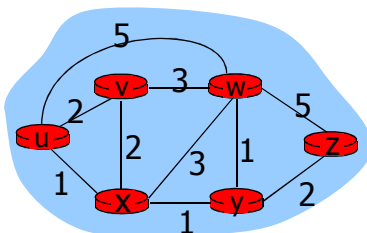
$d_x(y) :=$ cost of least-cost path from x to y

Then

$$d_x(y) = \min_v \{c(x,v) + d_v(y)\}$$

where min is taken over all neighbors v of x

Bellman-Ford example



Clearly, $d_v(z) = 5$, $d_x(z) = 3$, $d_w(z) = 3$

B-F equation says:

$$\begin{aligned} d_u(z) &= \min \{ c(u,v) + d_v(z), \\ &\quad c(u,x) + d_x(z), \\ &\quad c(u,w) + d_w(z) \} \\ &= \min \{ 2 + 5, \\ &\quad 1 + 3, \\ &\quad 5 + 3 \} = 4 \end{aligned}$$

Node that achieves minimum is next hop in shortest path \rightarrow forwarding table

Distance Vector Algorithm



- Define
 - $D_x(y)$ = estimate of least cost from x to y
 - Distance vector: $\mathbf{D}_x = [D_x(y): y \in N]$
- Node x knows cost to each neighbor v: $c(x,v)$
- Node x maintains $\mathbf{D}_x = [D_x(y): y \in N]$
- Node x also maintains its neighbors' distance vectors
 - For each neighbor v, x maintains $\mathbf{D}_v = [D_v(y): y \in N]$

Distance Vector Algorithm



Basic idea:

- Each node periodically sends its own distance vector estimate to neighbors
- When a node x receives new DV estimate from neighbor, it updates its own DV using B-F equation:

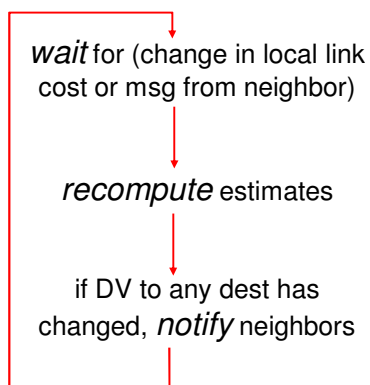
$$\mathbf{D}_x(y) \leftarrow \min_v \{c(x,v) + \mathbf{D}_v(y)\} \quad \text{for each node } y \in N$$

- Under “natural conditions” the estimate $\mathbf{D}_x(y)$ converges to the actual least cost $\mathbf{d}_x(y)$

Distance Vector Algorithm



Each node:



- **Iterative**
 - Continues until no more info is exchanged
 - Each iteration caused by:
 - local link cost change
 - DV update message from neighbor
- **Asynchronous**
 - Nodes do not operate in lockstep
- **Distributed**
 - Each node receives info only from its directly attached neighbors
 - NO Global info

Distance Vector: esempio



node x table

		cost to		
		x	y	z
from	x	0	2	7
	y	∞	∞	∞
	z	∞	∞	∞

node y table

		cost to		
		x	y	z
from	x	∞	∞	∞
	y	2	0	1
	z	∞	∞	∞

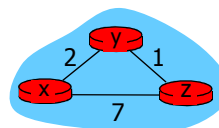
node z table

		cost to		
		x	y	z
from	x	∞	∞	∞
	y	∞	∞	∞
	z	7	1	0

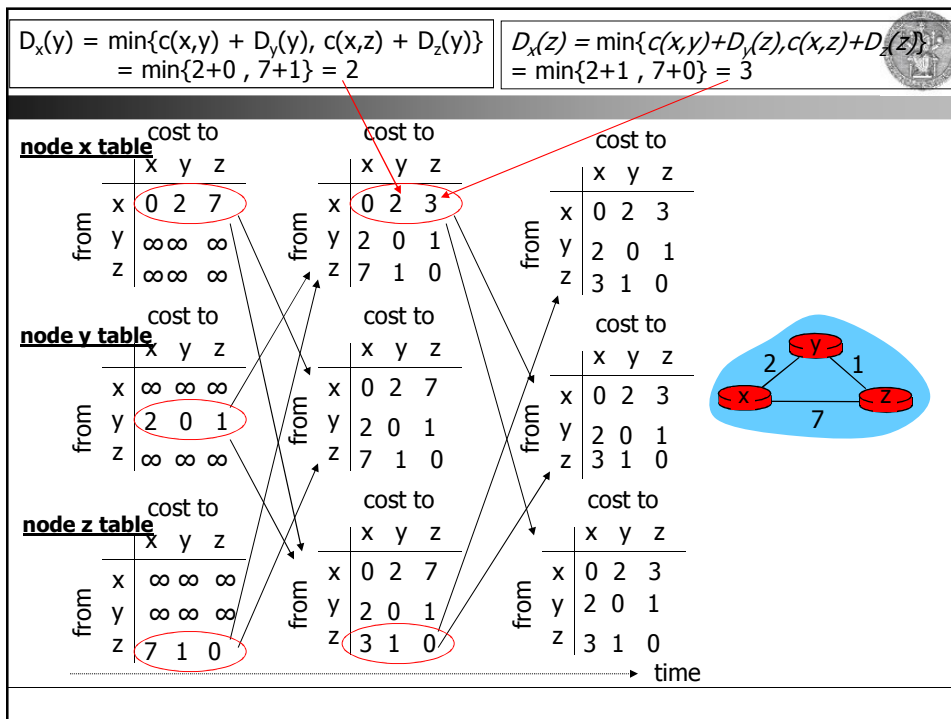
		cost to		
		x	y	z
from	x	0	2	3
	y	2	0	1
	z	7	1	0

$$D_x(y) = \min\{c(x,y) + D_y(y), c(x,z) + D_z(y)\} = \min\{2+0, 7+1\} = 2$$

$$D_x(z) = \min\{c(x,y) + D_y(z), c(x,z) + D_z(z)\} = \min\{2+1, 7+0\} = 3$$



time →



- ## Distance Vector: analisi
- Vantaggi:
 - facile da implementare
 - Svantaggi
 - ogni messaggio contiene un'intera tabella di routing
 - lenta propagazione delle informazioni sui cammini:
 - converge alla velocità del router più lento
 - se lo stato della rete cambia velocemente, le rotte possono risultare inconsistenti
 - possono innescarsi dei loop a causa di particolari variazioni della topologia
 - difficile capirne e prevederne il comportamento su reti grandi
 - nessun nodo ha una mappa della rete!

Convergence Speed



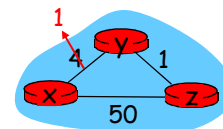
- How fast the routers learn about link-status change in the network
- With distance vector routing
 - Good news travels fast
 - Bad news travels slow

Distance Vector: link cost changes (1/2)



Link cost decreased:

- ❑ node detects local link cost change
- ❑ updates routing info, recalculates distance vector
- ❑ if DV changes, notify neighbors



At time t_0 , y detects the link-cost change, updates its DV, and informs its neighbors.

“good news travels fast”

At time t_1 , z receives the update from y and updates its table. It computes a new least cost to x and sends its neighbors its DV.

At time t_2 , y receives z 's update and updates its distance table. y 's least costs do not change and hence y does *not* send any message to z .

Distance Vector: link cost changes (2/2)



Link cost increased:

- ❑ t_0 : y detects change, updates its cost to x to be 6. Why?

- ❖ Because z previously told y that "I can reach x with cost of 5"

- ❖ $6 = \min \{60+0, 1+5\}$

- ❑ Now we have a **routing loop!**

- ❖ Pkts destined to x from y go back and forth between y and z forever (or until loop is broken)

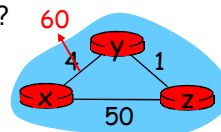
- ❑ t_1 : z gets the update from y. z updates its cost to x to be??

- ❖ $7 = \min \{50+0, 1+6\}$

- ❑ Algorithm will take several iterations to stabilize

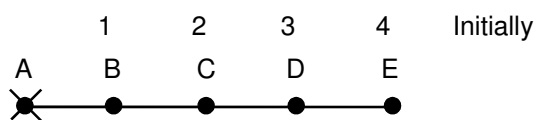
- ❖ This is called "**count to infinity**" problem!

- ❑ **Solutions?**



"Bad news travels slow"

Convergence speed



Count-to-Infinity



	1	2	3	4	Initially
A	B	C	D	E	
✗	●	●	●	●	
	3	2	3	4	After 1 exchange
	3	4	3	4	After 2 exchanges
	5	4	5	4	After 3 exchanges
	5	6	5	6	After 4 exchanges
	7	6	7	6	After 5 exchanges
	etc... to infinity				

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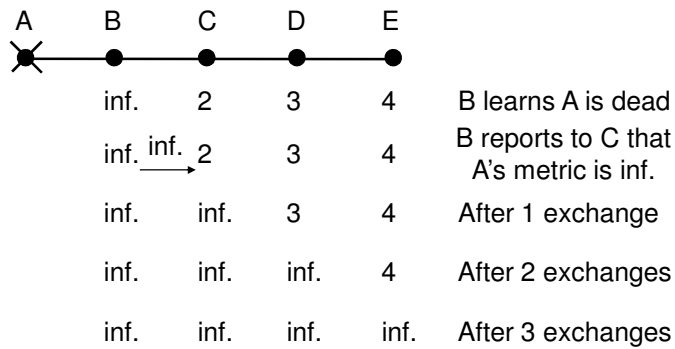
Poisoned Reverse



- If Z routes through Y to get to X :
 - Z tells Y its (Z's) distance to X is infinite (so Y won't route to X via Z)

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Poisoned Reverse



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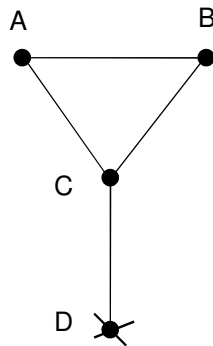
Poisoned Reverse



- If Z routes through Y to get to X :
 - Z tells Y its (Z's) distance to X is infinite (so Y won't route to X via Z)
- will this completely solve count to infinity problem?

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Poisoned Reverse Failure



If D goes down, A and B will still count to infinity.

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Distance Vector (DV) Routing Protocols



- Routers broadcast routing control messages to their neighbors containing lowest cost-to-destination information.
- A router using a DV protocol propagates a routing control message by adding its own cost to the received information and broadcasting the sums to its neighbors.
- If there are no rules to stop propagation of routing control messages, then the routers keep adding their own cost and broadcasting, collectively counting to infinity.

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Beating the count-to-infinity problem



- Include a sequence number in the routing control messages.
- Sequence numbers are monotonically increasing. Larger sequence numbers -> later control message.
- A neighbor receiving a message with a higher sequence number always propagates the routing information and remembers the sequence number.
- Routing information that reduces the receiving node's lowest cost-to-destination should be propagated.
- Routing information that increases the receiving node's lowest cost-to-destination should be propagated.

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Beating the count-to-infinity problem



- Routing information that neither increases or reduces the receiving node's lowest cost-to-destination should NOT be propagated.
- Routing information that is propagated keeps the same sequence number as the received information.

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